

Introduction to L^AT_EX for Sophomore Seminar

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(with slight modifications by Charlie Peck)

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1 What is L^AT_EX?

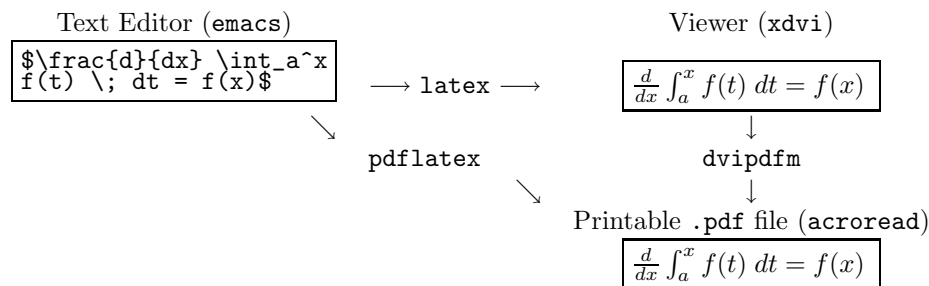
L^AT_EX is a typesetting program designed especially for writing mathematical text. You've already seen several examples of mathematical writing which was typeset using either L^AT_EX or its cousin, T_EX: Most handouts you get from me, Mic, or Tim are written in L^AT_EX, and these days many mathematical books – including *Chapter Zero* – are typeset using some form of T_EX. Writing mathematics in L^AT_EX takes some getting used to, but the results are sufficiently pretty that I think you'll agree it's time well-spent.

L^AT_EX is equally suited to writing documents for computer science; articles, reports, papers, dissertations, and the like. The learning

2 Creating and Compiling a L^AT_EX document

The first thing to keep in mind is that unlike a typical word processor, what you see as you create your L^AT_EX file is not what the final product will look like. Instead, you will use a *text editor* to type text intermixed with various codes telling L^AT_EX what to do. Then you'll run your text through a *compiler*, and view the result with a *viewer*. Depending on how you do it, you might need to run a second program to get a printable .pdf file.

Schematically, this process looks like:



On the ACL machines this can be achieved with:

```
codd$ latex paper.tex           # DVI output, viewed with xdvi
codd$ pdflatex paper.tex        # PDF output, viewed with acroread
```

3 A simple L^AT_EX document

By way of example, on a following page is a simple L^AT_EX file input file and its output. Here are some things to notice about it.

3.1 Preamble

The first few lines of the document, prior to the `\begin{document}`, give L^AT_EX some preliminary information about the document, tell L^AT_EX where to look for some of the commands that will be used in the document. The preamble also defines a few commands to be used later. Don't worry much about the preamble for now.

3.2 Beginnings and Endings

The main part of the document begins with `\begin{document}` and ends with `\end{document}`. In between, there are several smaller sections of the document that are set off with `\begin{something}` and `\end{something}`.

3.3 Mathematics

The heart of \LaTeX is its ability to typeset mathematics. Anything mathematical is set off with either a single dollar sign `$` at the beginning and the end, or with a double dollar sign `$$` at the beginning and the end. Mathematical symbols are represented by commands such as `\cup` or `\in`.

3.4 Graphics

If you want to get fancy, you can include files created elsewhere into a \LaTeX document. The easiest way to do this is to save your picture as an Encapsulated Postscript (`.eps`) file. Maple, in particular, can export any graph it creates to an `.eps` file. The lines in the preamble following `%Figures` define a command, `\myfig`, for including figures. The `\myfig` command is used at the end of the document.

Caution: `.eps` figures typically can't be seen when you view the file with `xdvi`, only when you look at the `.pdf` file.

4 A More Complicated \LaTeX document

Following the simple \LaTeX file and its output, you'll find a more complicated \LaTeX file and the output it produces. Some things to notice about the more complicated document:

4.1 "Hidden" preamble

The preamble to the second document is actually pretty short, but that's because the most complicated parts have been placed into another file, `macros.tex`.

4.2 Sectioning

This document is broken down into numbered sections. The sections are given names inside the \LaTeX file with the `\label` command, so they can be referred to by number with the `\ref` command. \LaTeX will keep track of the section number for you, even if you insert a new section, causing everything to be re-numbered. Similarly, theorems are numbered and can be referred to by number.

4.3 Tables

\LaTeX can make tables. Within a table, separate entries with `&` and end a line with `\\`.

```

\documentclass[10pt]{article}
\usepackage{amsmath,amsthm}
\usepackage{epsfig}

\newcommand{\myfig}[2]{\begin{figure}[htbp]\begin{center}
  {\scalebox{.4}{\includegraphics{#1.eps}}}
  \caption{#2}\label{fig:#1}
\end{center}\end{figure}}

\newtheorem*{theorem}{Theorem}

\begin{document}

\begin{theorem}[2.4.2]
  Let  $A$ ,  $B$ , and  $C$  be sets. Then
  
$$A \cup (B \cap C) = (A \cup B) \cap (A \cup C).$$

\end{theorem}

\begin{proof}
  To show that  $A \cup (B \cap C) = (A \cup B) \cap (A \cup C)$  we
  must show two things:

  \begin{align*}
(\subseteq) & \quad A \cup (B \cap C) \subseteq (A \cup B) \\
& \quad \cap (A \cup C), \\
(\supseteq) & \quad (A \cup B) \cap (A \cup C) \subseteq A \\
& \quad \cup (B \cap C).
\end{align*}

  \begin{itemize}
\item[ $(\subseteq)$ ]
    To prove the first inclusion, let  $x \in A \cup (B \cap C)$ .
    This means that  $x \in A$  or  $x \in (B \cap C)$ . If  $x \in A$ ,
    then  $x$  is in the union of  $A$  with any other set. So  $x \in A \cup B$ ,
    and  $x \in A \cup C$ . Likewise, if  $x \in (B \cap C)$ ,
    then  $x \in B$  and  $x \in C$ . We can deduce from
    this that  $x \in A \cup B$  and that  $x \in A \cup C$ . In
    either case,  $x$  is seen to be in  $(A \cup B) \cap (A \cup C)$ .
    This concludes the proof that  $A \cup (B \cap C) \subseteq (A \cup B) \cap (A \cup C)$ .

\item[ $(\supseteq)$ ]
    Conversely, to prove the second inclusion, suppose that  $x \in (A \cup B) \cap (A \cup C)$ .
    That is,  $x \in (A \cup B)$  and  $x \in (A \cup C)$ . We know in general, of course, that
    either  $x \in A$  or  $x \notin A$ . If  $x \in A$ , then
    certainly  $x \in A \cup (B \cap C)$ . So suppose that  $x \notin A$ .
    In this case,  $x$  must be in  $B$  because  $x \in A \cup B$ .
    Also we see that  $x \in C$  since  $x \in A \cup C$ .
    We then conclude that  $x \in B \cap C$ . Hence here, too,  $x \in A \cup (B \cap C)$ .
    We have now shown that  $(A \cup B) \cap (A \cup C) \subseteq A \cup (B \cap C)$ .
  \end{itemize}

  Therefore,  $A \cup (B \cap C) = (A \cup B) \cap (A \cup C)$ .
\end{proof}

\myfig{venn}{Venn Diagram for

$$A \cup (B \cap C) = (A \cup B) \cap (A \cup C)}$$


\end{document}

```